

FP-TREE ALGORITHM USING MODIFIED-CK SECURE SUM METHOD

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Abstract: Privacy consideration is frequently moderation of data mining. This paper addresses the problem of association rule mining using the FP tree algorithm where operation is scattered across multiple parties. Each party holds the number of transaction and the parties wish to work together to recognize globally valid Association rule. We presents the multi party transaction data that discovers frequent item sets with minimum support, without either parties revelling the individual data.

Keywords: Horizontal Partitioning, FP tree algorithm, Secure multi party computation, Modified Ck secure sum.

I. INTRODUCTION

Privacy is one of the most significant properties that an information system requires. For this motivation, numerous efforts have been devoted to incorporate privacy preserving techniques [6] with data mining algorithms [1] [2] [3] in order to prevent the disclosure of sensitive information during the knowledge discovery. The existing privacy preserving data mining techniques can be classified according to the subsequent five different dimensions like first one is data distribution (centralized or distributed); second one is the adjustment applied to the data (encryption, perturbation, generalization, and so on), third one is the data mining algorithm in which the privacy preservation technique is designed, fourth one is the data type (single data items or complex data correlations) that needs to be protected from disclosure and last one is the approach adopted for preserving privacy [10] [11] (heuristic or cryptography-based approaches). While heuristic based techniques are mainly conceived for centralized datasets, cryptography-based algorithms are designed for protecting privacy in a distributed state of affairs by using encryption techniques. Heuristic-based algorithms recently proposed aim at hiding sensitive unprocessed data by applying perturbation techniques based on probability distributions. Furthermore, several heuristic-based approaches for hiding both raw and aggregated data from side to side, a hiding technique (k-anonymization, adding noises, data swapping, generalization and sampling) has been developed, first in the context of association rule mining and classification, in addition to more recently for clustering techniques. Given the number of different privacy preserving data mining techniques that have been developed in these years, there is an emerging need of moving toward standardization in this new research area, one step toward this essential process is to provide a quantification approach for privacy preserving data mining algorithms to make it possible to evaluate and compare such algorithms. However, due to the variety of characteristics of privacy preserving data mining algorithms, it is often the case that no privacy preserving algorithm exists that outperforms others on all possible criteria. Relatively, an algorithm may carry out better than another one on specific criteria like privacy level, data quality.

A. FP Tree Algorithm

Many algorithms recommended like Apriori algorithms. It is based upon the resistant monotone property. Due to their two main problems i.e. frequent database examine and superior computational cost, there is a need of compacted data structure for mining frequent item sets, which moderates the multi scan trouble and improve the candidate item set generation. Tree shelf is an efficient algorithm based upon the lexicographic tree in which each node represents a frequent pattern [1] [6].

FP-Growth algorithm [6] is a disciplined algorithm for producing the frequent item sets without production of candidate item sets. It is based upon divide and conquers approach. It needs database scan to discover all frequent item sets. This approach compresses the database of frequent item sets into frequent pattern tree recursively in the same order of magnitude as the sequence of frequent patterns. Then in next step divide the compressed database into set of conditional databases.

B. Multi Party Computation

The problem arises when more than two parties want to share their data and want to find their global result without disclosing their individual data; it is referred to secure multi party computation [6]. Secure multi party computation problem that deals with any type of input or function in scattered database. There are many explanation and difficulty that will resolve using the secure sum multi party computation. But in most of the cases single party is considered as trusted party. Then that party will compute the result and distribute the result to all the party that present in the distributed environment. Principally secure multi party computation has two goals; one is to provide the security to the individual data and another is to correct the result. And secure multi party computation contains two main models one is Real model and Ideal model. Real model uses without trusted party and Ideal model uses for with trusted party (TTP) [12] [13] [14]. According to the number of inputs the computation is classified into two models, single input computation model and another is multi input computation. The alteration from input to secure multi party computation contains three ways transformation. First one is convert multi party input to secure multi party computation, after the computation is performed. Second one is convert multi party computation to homogeneous secure multi party computation. Third one is convert multi party computation to heterogeneous secure multi party computation. Figure1 shows the Snapshot of Secure Multi Party Computation.

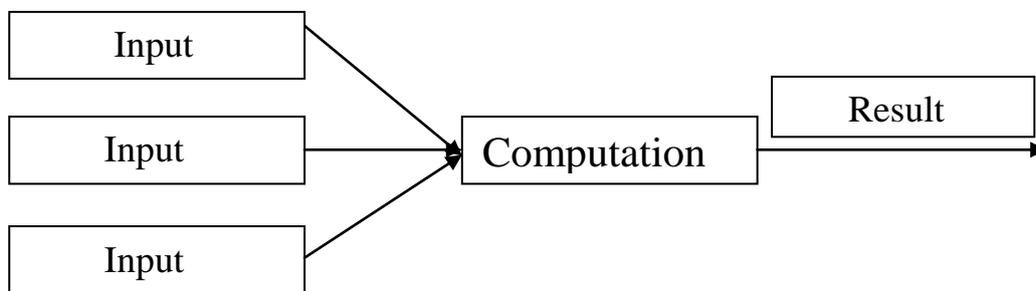


Figure1: - Snapshot of Secure Multi Party Computation

II. PROPOSED WORK

In secure sum protocol basically divide the whole database into number of horizontal partition database and each party have their particular sequence number (p1, p2,.....p n) so that if p2 want the value of data of p1 and p3 then party p2 will never be able to know the data of other parties. So in modified Ck secure sum [9] [10] [11] [12] very useful technique to provide a security to database with data leakage is zero percent. Basically secure multi party computation problem uses two computation models, ideal model and real model, in ideal model their exit a trusted third party which will compute the result and broadcast the result to all other parties present in database. But in real model the parties agree on some protocol which allows all the parties to evaluate the function and find the global result. But in modified Ck Secure sum protocol here we change the position of every party at every time after computation of the first. If there are four parties then number of round is four (if there are n number of parties then numbers of round is n), but the global result will always be same in all round. So that in protocol we will able to provide high security to database and percentage of data leakage is zero. Figure 2 shows the movements of parties.

The algorithm can be described as following:

Step 1:- Separate the entire database into number of parties P1, P2, P3, P4, P5... Pn (n≥2).

Step2:- Every party will produce their own random number R1, R2, R3..... Rn.

Step3:- Join the number of parties into the circular ring (P1, P2.....Pn).

Step4:-Give permission the party P1 as a protocol initiator.

Step5:- Party P1 will determine their partial support by using the following formula

$Psi = X \cdot \text{support} - \text{minimum support} * |DB| + RN1 - RNn$ (RN is random number).

Step6:- Party 2 will calculate their partial support by using the following formula

$Psj = Ps(j-1) + X \cdot \text{support} - \text{minimum support} * |DB| + RN1 - RN(i-1)$

Step7:-In this way party P1 will adjust the position to the next party nearby in the environment till Pn-1.

Step8:-Subsequent to that party P2 will calculate their global support and transmit the global support to all party presents in the surroundings.

Party P1 will decide the mask value by using the following formula

Mask value is determine by using two different hash function because here double hash based function is used

$$\text{Key1} = \text{Hash}(\text{Key}) = \text{Key} \pmod{N}$$

And after that calculated another hash function

$$\text{Mask Key} = \text{Hash2}(\text{Key1}) = \text{Key} + M^{\text{key1}}$$

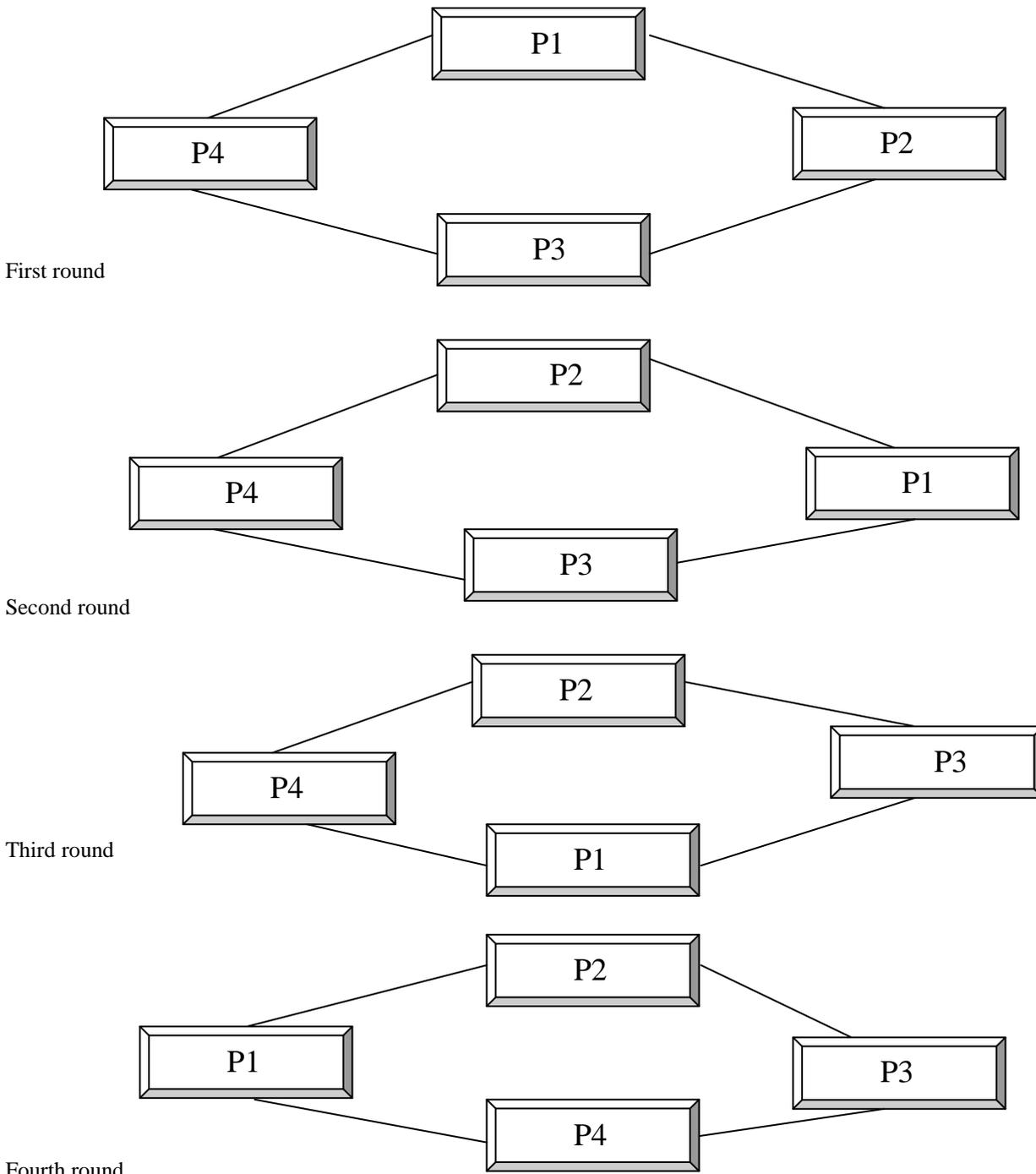


Figure 2: Movement of Party to Provide the Security to the Database

TABLE I
 Set of data for Party1
 MIN SUPPORT=40%

TID	A1	A2	A3	A4
T1	1	1	1	0
T2	0	1	1	1
T3	1	1	1	1
T4	1	1	0	0
T5	0	0	1	1

<u>TID</u>	<u>LIST</u>
T1	A1, A2, A3
T2	A2, A3, A4
T3	A1, A2, A3, A4
T4	A1, A2
T5	A3, A4

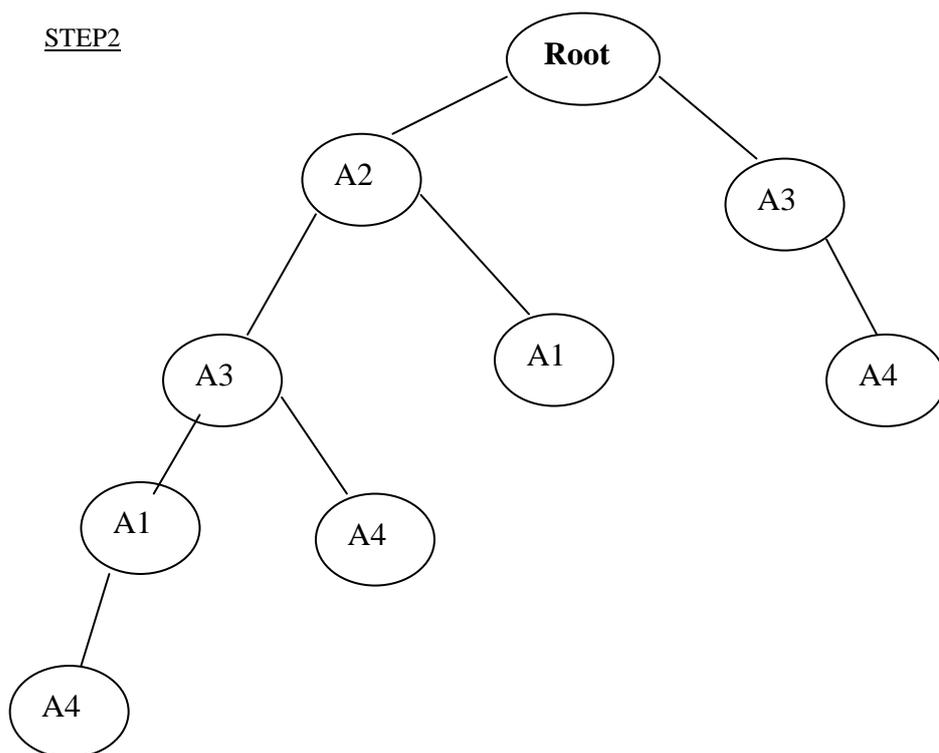
STEP1

A1:3, A2:4, A3:4, A4:3

SORT IN DESENDING ORDER

A2:4, A3:4, A1:3, A4:3

STEP2



STEP3

A4= {(A3:1), (A1:1, A3:1, A2:1), (A3:1, A2:1)}

A3= {(A2:3), (A3:1)}

A2= {A2:4}

A1= {(A3:2), (A2:2), (A1:1)}

STEP4

A4= {(A3:3), (A2:2)}

STEP5

A4A3:2, A4A2:2

SUPPORT (A4, A3) = COUNT (A4, A3)/T=3/5=0.6>40%

STEP6

SUPPORT (A4, A2) = COUNT (A4, A2)/T=2/5=0.4>40%

CANDIDATE SET = {A2, A3, A4}

TABLE II
Set of data for Party2
MIN SUPPORT=40%

TID	A1	A2	A3	A4
T1	1	1	1	1
T2	0	1	1	0
T3	1	0	0	1
T4	0	1	0	0
T5	1	1	1	0

TID	LIST
T1	A1, A2, A3, A4
T2	A2, A3
T3	A1, A4
T4	A2
T5	A1, A2, A3

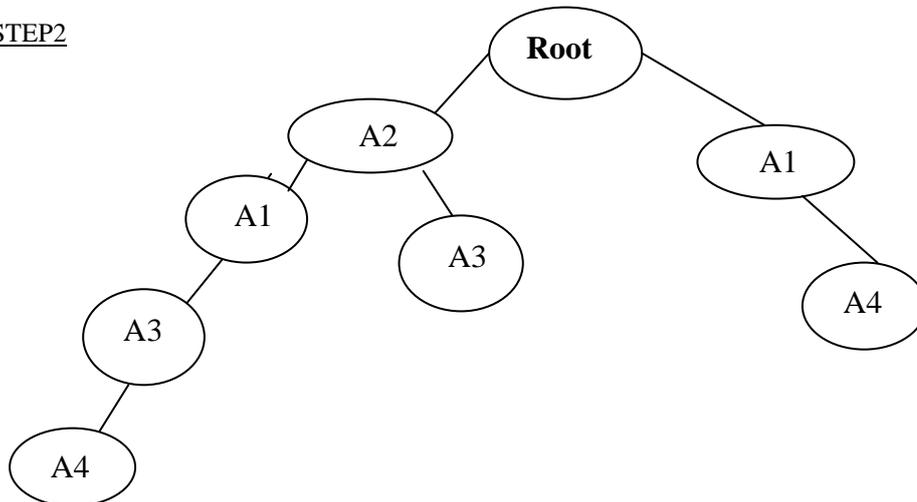
STEP1

A1:3, A2:4, A3:3, A4:2

SORT IN DESENDING ORDER:-

A2:4, A1:3, A3:3, A4:2

STEP2



STEP3

A4= {(A3:1, A1:1, A2:1), (A1:1)}

A3= {(A1:2, A2:2), (A2:1)}

A2= {(A2:4)}

$A1 = \{(A2:2), (A1:1)\}$

STEP4

$A4 = \{A1:2\}$

$A3 = \{A2:3\}$

STEP5

$A4A1:2, A3A2:3$

STEP6

SUPPORT (A4, A1) = COUNT (A4, A1)/T=2/5=0.4=40%

SUPPORT (A3, A2) =COUNT (A3, A2)/T=3/5=0.6>40%

SUCHTHAT CANDIDATE SET- {A1, A2, A3, A4}

TABLE III
Set of data for Party3

MIN SUPPORT=40%

Tid	A1	A2	A3	A4	A5
T1	1	1	1	1	0
T2	0	1	1	1	1
T3	0	0	1	1	1
T4	1	0	1	0	1

TID

LIST

T1 A1 A2 A3 A4

T2 A2 A3 A4 A5

T3 A3 A4 A5

T4 A1 A3 A5

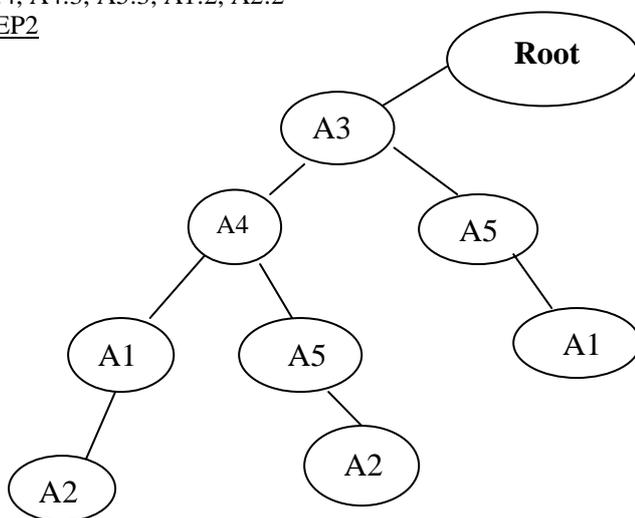
STEP1

$A1:2, A2:2, A3:4, A4:3, A5:3$

SECONDARY ORDER:-

$A3:4, A4:3, A5:3, A1:2, A2:2$

STEP2



STEP3

$A1 = \{(A5:1, A3:1), (A4:1, A3:1)\}$

$A2 = \{(A1:1, A4:1, A3:1), (A5:1, A4:1, A3:1)\}$

$A3 = \{(A3:4)\}$

A4= {(A3:3)}
A5= {(A3:1), (A4:2, A3:2)}

STEP4

A1= {A3:2}
A2= {A3:2, A4:2}
A5= {(A3:3)}

STEP5

A1A3:2, A2A3:3, A2A4:2, A5A3:3

STEP6

SUPPORT (A1, A3) = COUNT (A1, A3)/T=2/4=0.5>40%
SUPPORT (A2, A3) = COUNT (A2, A3)/4=2/4=0.5>40%
SUPPORT (A2, A4) = COUNT (A2, A4)/4=2/4=0.5>40%
SUPPORT (A5, A3) = COUNT (A5, A3)/4=3/4=0.75>40%
SUCH THAT CANDIDATE SET-{A1, A2, A3, A4, A5}

TABLE IV
Set of data for Party4

MIN SUPPORT=40%

Tid	A1	A2	A3	A4
T1	1	1	0	0
T2	0	1	1	0
T3	1	1	0	1
T4	0	0	1	1

TID

T1
T2
T3
T4

LIST

A1 A2
A2 A3
A1 A2 A4
A3 A4

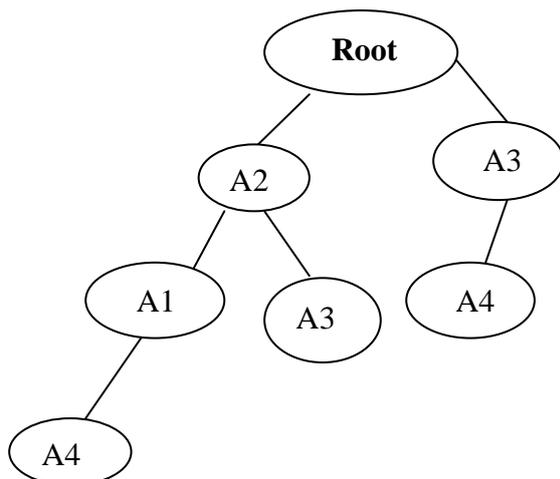
STEP1

A1:2, A2:3, A3:2, A4:2

IN DESENDING ORDER:-

A2:3, A1:2, A3:2, A4:2

STEP2



STEP3

A1= {(A2:2)}
A2= {(A2:3)}

$A3 = \{(A2:1), (A3:1)\}$

$A4 = \{(A1:1), (A2:1), (A3:1)\}$

AS HERE MIN SUPPORT=40%

SO, HERE NO CANDIDATE SET IS SELECTED.

At step1: After the calculation the list of Candidate set generated in table 1= {A2, A3, A4}

At step2: After the calculation the list of Candidate set in table 2= {A1, A2, A3, A4}

At step3: After the calculation the list of Candidate set in table 3 Candidate set= {A1, A2, A3, A4, A5}

At step4: After the calculation no Candidate set is generated in table 4

Consider the item set {A2}

Each parties select their random number $RN1=10, RN2=20, RN3=10, RN4=10$

Key =10, M=2

Hash key=key mod M

Mask key=hash key-M^{key}

Hash key=10 mod 2=0

Mask key=10-1=9

Consider the item set I= {A2}

$PS=I \text{Support} - \text{Minimum support} * DB + (RN I - RN (i-1)) + \text{Mask key}$

Calculation for Round 1-

$PS11 = 4 - .4 * 5 + (10 - 20) + 9 = 1$

$PS12 = 4 - .4 * 5 + (20 - 10) + 1 = 13$

$PS13 = 2 - .4 * 4 + (10 - 20) + 13 = 3.4$

$PS14 = 3 - .4 * 4 + (10 - 10) + 3.4 = 4.8$

Global encrypt support (GES) = Partial support-Mask key

$GES = 4.8 - 9 = -4.2$

Calculation for Round 2 –

$PS12 = 4 - .4 * 5 + (20 - 10) + 9 = 21$

$PS11 = 4 - .4 * 5 + (10 - 20) + 21 = 13$

$PS13 = 2 - .4 * 4 + (10 - 10) + 13 = 13.4$

$PS14 = 3 - .4 * 4 + (10 - 10) + 13.4 = 14.8$

Global encrypt support (GES) = Partial support-Mask key

$GES = 14.8 - 9 = 5.8$

Calculation for Round 3 –

$PS12 = 4 - .4 * 5 + (20 - 10) + 9 = 21$

$PS13 = 2 - .4 * 4 + (10 - 20) + 21 = 11.4$

$PS11 = 4 - .4 * 5 + (10 - 10) + 11.4 = 13.4$

$PS14 = 3 - .4 * 4 + (10 - 10) + 13.4 = 14.8$

Global excess support (GES) = Partial support-Mask key

$GES = 14.8 - 9 = 5.8$

Calculation for Round 4 –

$PS12 = 4 - .4 * 5 + (20 - 10) + 9 = 21$

$PS13 = 2 - .4 * 4 + (10 - 20) + 21 = 11.4$

$PS14 = 3 - .4 * 4 + (10 - 10) + 11.4 = 12.8$

$PS11 = 4 - .4 * 5 + (10 - 10) + 12.8 = 14.8$

Global excess support (GES) = Partial support-Mask key

$GES = 14.8 - 9 = 5.8$

If global excess support is greater than or equal to Zero than it is frequent or else it is Infrequent. So in this trouble the value of global excess support is positive, it means it is globally frequent. But A2 is frequent at party1, party2 and party3 so it's locally frequent and infrequent in party4. A2 construct it is a frequent after doing some of the computation in various parties. And after calculation the dummy item sets that convert infrequent to frequent or frequent to infrequent that makes that the successor parties will not at all able to know the previous result value of other parties.

III. CONCLUSION

In This paper addresses the problem of computing association rules using FP Tree algorithm within a scenario of homogeneous database. We take for granted that all parties have the identical schema, but every party does not have information on dissimilar Entities. The goal is to produce association rules that hold worldwide while limiting the information shared about each party. Many proposals have been partied to apply secure multi party computation. Secure multi party computation being used in huge scale databases which extends to protect privacy to the private data of dissimilar parties. In this paper our focus is based on horizontal partitioned Distributed data through a accepted association rule mining technique.

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