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Image Sharing in Clouds based on N-Server Forward Re-encryption System

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ABSTRACT: Cloud computing technology can be utilized in medical domain to make it useful for the humanity by providing solution for electronically sharing medical images securely over the Internet. The medical image storage in a public cloud or a third party cloud system can mystify the confidentiality and integrity of data. Hence to provide a secure access for the medical images stored in the cloud, we propose a n-server forward re-encryption scheme incorporated with d-dimensional erasure codes. The distributed image storage system not only provides secure image storage but also provides image forwarding and retrieval of images. The key management is done by the key servers thereby reducing the overhead for users. The key aspect of the n-server encoding scheme is the encoding of the encrypted medical images for storage and forwarding or retrieval of those images based on authenticated request. The proposed secure cloud storage system provides secure data storage and secure data forwarding functionality in a decentralized structure.

Keywords: erasure code; key servers; distributed image storage system; re-encryption

I. INTRODUCTION

Cloud computing is a model for enabling convenient, on-demand network access to a shared pool of configurable computing resources (e.g., networks, servers, storage, applications, and services) that can be rapidly provisioned and released with minimal management effort or service provider interaction. As high-speed networks and ubiquitous Internet access become available in recent years, many services are provided on the Internet such that users can use them from anywhere at any time [1],[4],[6]. For enterprises, cloud computing is worthy of consideration and try to build business systems as a way for businesses in this way can undoubtedly bring about lower costs, higher profits and more choice; for large-scale industry. For instance, Russell Lands, recreational developer in Alabama – instead of investing in its own IT infrastructure, it turned to Connecteria Cloud Storage thereby saving \$25000 to \$35000. Users just use services without being concerned about how computation is done and storage is managed. A cloud storage system consists of many storage servers which can provide a long term information sharing service in Internet [7]. In this paper, we focus on designing a cloud storage system for robustness, confidentiality, and functionality for storing biomedical images.

However, security concerns become relevant as we now outsource the storage of possibly sensitive data to third parties [5], [8]. In this paper, we are particularly interested in the following security issues. First, we need to provide guarantees of access control, in which we must ensure that only authorized parties, can access the outsourced data on the cloud [9]. Secondly, we must prohibit third-party cloud storage providers from mining any sensitive information of their clients' data for their own marketing purposes.

Cloud storage providers typically keep multiple backup copies of data for fault-tolerance reasons [5]. For providing robustness, cloud system is modelled as collection of storage servers. In order to provide strong confidentiality for biomedical images in storage servers, the data owner encrypts the images by a cryptographic method and the storage server encodes the encrypted images using d-dimensional erasure codes before storing them [2], [11].

Upon data retrieval by the data owner or by any authorized user, he needs to retrieve the code word symbols from storage servers, decode them, and then decrypt them by using cryptographic keys. Therefore the user has to bear the



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computation and communication traffic between the storage server and himself. The user must also manage the cryptographic keys there by facing the issues caused when the key is compromised. Moreover when the data owner needs to forward the images to any other user (as the doctors across globe needs to share their patient data for better diagnosis & study), he has to retrieve, decode, decrypt and then forward them. In this paper, we address the problem of forwarding data to another user by storage servers directly under the request of the data owner. We also have key servers which manage the keys of data owners and it works independently with storage servers.

A. Infrastructure of the Proposed System

There are n distributed storage servers and m key servers in the cloud storage system. Any compressed medical image is divided into k blocks and represented as a vector of k symbols. Our contributions are as follows:

1. We construct a secure cloud storage system that supports the function of secure image forwarding by using a n -server forward re-encryption scheme [10]. The encryption scheme supports decentralized d -dimensional erasure codes over encrypted images and forwarding is done upon demand by the image owner by storage server itself. Our system is highly distributed where storage servers independently encode and forward images and key servers independently perform partial decryption of images.
2. We assume that the number of storage servers is much greater than number of blocks of an image.. The sacrifice is to slightly increase the total copies of an encrypted image symbol sent to storage servers. Nevertheless, the storage size in each storage server does not increase because each storage server stores an encoded result (a code word symbol), which is a combination of encrypted medical image.

The medical image is compressed, encrypted and then encoded as a code word, which is a vector of symbols, and each storage server stores a code word symbol. A storage server failure is modeled as a d -dimensional erasure error of the stored code word symbol. Random linear codes support distributed encoding, that is, each code word symbol is independently computed. To store a image of k blocks, each storage server linearly combines the blocks with randomly chosen coefficients and stores the code word symbol and coefficients. To retrieve the image, a user queries k storage servers for the stored code word symbols and coefficients and solves the linear system.

II. RELATED WORK

In [1] author has discussed the various issues regarding storage of medical images in a cloud. The major issue is the security concerned with preserving the privacy of the patient. Erasure codes can be used for encoding in a distributed system for fault tolerance is in [2]. In [3] authors have discussed how medical images can be securely shared with other users. The authors [4] have discussed the trend in storing medical information in cloud due to its infrastructure facility. The file accessing mechanism proposed in [5] proposes the file system that is used for storing in the cloud. The distributed file storage system is fault tolerant in retrieval and forwarding. The de-centralized erasure code can be used for securely storing the information in a cloud is discussed by authors in [6]. [7] is an example of public cloud storage provided by amazon. The authors [8], [11] proposed algorithms for secure medical information sharing in a cloud environment. Distributed key management scheme reduces the burden of the users for storing the keys securely and encrypting the information discussed in [9]. The authors [10] propose the concept of re-encryption using public key of receiver and private key of sender when forwarding the information to a different user. The authors [12] discussed the secure storage of information in cloud. In [13] the inclusion of the key management layer in distributed environment is proposed. The authors [14] provide mechanism for secured authentication for storage and deletion. The authors [15] provide library for implementing the erasure code in $c/c++$.

III. DISTRIBUTED IMAGE STORAGE SYSTEM

Our system aims to achieve confidentiality through n -server forward re-encryption scheme and robustness by erasure codes. The overall design of the system is centered around two concepts double encryption on forwarding and erasure encoding.

A. Architectural Design

The architecture is decentralized, so storage systems offer good scalability, because a storage server can join or leave without control of a central authority. To provide robustness against server failures, a simple method is to make



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replicas of each image and store them in different servers. However, this method is expensive as z replicas result in z times of expansion.

Our paper proposes to control this expansion rate by using erasure code to encode the images. An encrypted form of compressed image is encoded as a code word which is vector of symbols and each storage server stores a code word symbol. A storage server failure is modelled as an erasure error of the stored code word symbol. Distributed encoding of image symbols is done with the help of random linear codes, that is, each code word symbol is independently computed. To store the image of k blocks, each storage server linearly combines the blocks with randomly chosen coefficients and stores the code word symbol and coefficients. To retrieve the image, a user queries k storage servers for the stored code word symbols and coefficients and solves the linear system. Consider the case that $n=ak$ for a fixed constant a . Distributing each block of a image to v randomly chosen storage servers is enough to have a probability $1 - k^{-p}o(1)$ of a successful data retrieval, where $v = b \ln k$, $b > 5a$, and p is the order of the used group. The sparsity parameter $v = b \ln k$ is the number of storage servers which a block is sent to. The larger v is, the communication cost is higher and the successful retrieval probability is higher. The system has a light data confidentiality because an attacker can compromise k storage servers to get the image.

B. n -Server Forward Re-encryption Scheme

This scheme is implemented in storage server. As described earlier, the storage server encodes the cipher before storing it. It can also transfer the cipher to any other user upon the request of the data owner. For example, if user A intends to transfer medical images to user B, A calculates a re- encryption key $RKAB$ based on the public key of B - PKB and secret key of A - SKA and securely sends the re-encryption key to the storage server. Using $RKAB$, the storage servers re-encrypts the original code word symbols into re-encrypted code word symbols. The re-encrypted code word symbols can be later retrieved by B and is decryptable using B's secret key [8],[10]. Thus the confidentiality and robustness is strengthened by double encryption and encoding.

IV. DEPLOYMENT

We describe our model of the proposed system and a risk model for evaluating confidentiality and robustness.

A. System Model

Our system model consists of users n storage servers $SS_1; SS_2; \dots; SS_n$, and m key servers $KS_1; KS_2; \dots; KS_m$. Storage servers provide storage services and key servers provide key management services. They work independently. Our distributed storage system consists of four phases as follows

1. Initial association, Image storage, Image forwarding, and Image retrieval. These four phases are described as follows. In the initial association phase, the system manager chooses system parameters and publishes them. Each user A is assigned a public-secret key pair ($PKA; SKA$). User A distributes his secret key SKA to key servers such that each key server KS_i holds a key share SKA_i , $1 \leq i \leq m$. The key is shared with a threshold t [6], [9].
2. In the Image storage phase, user A encrypts his image M and dispatches it to storage servers. A image M is decomposed into k blocks $m_1; m_2; \dots; m_k$ and has an identifier ID . User A encrypts each block m_i into a cipher text C_i and sends it to v randomly chosen storage servers. Upon receiving cipher texts from a user, each storage server linearly combines them with randomly chosen coefficients into a code word symbol and stores it. Figure 1 shows the block diagram of biomedical image storage. Note that a storage server may receive less than k image blocks and we assume that all storage servers know the value k in advance.

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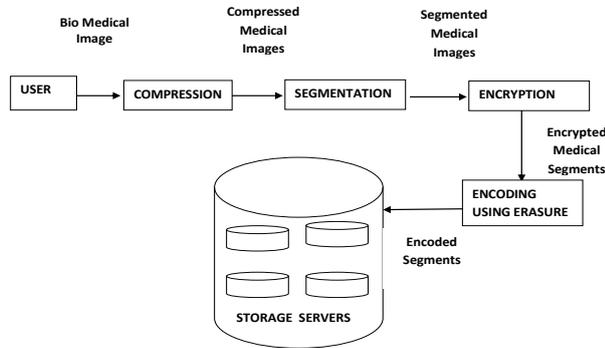


Figure 1. Image storage

- In the Image forwarding phase, user A forwards his encrypted image with an identifier ID stored in storage servers to user B such that B can decrypt the forwarded image by his secret key. To do so, A uses his secret key SKA and B's public key PKB to compute a re-encryption key RKAB and then sends RKAB to all storage servers. Each storage server uses the re-encryption key to re-encrypt its codeword symbol for later retrieval requests by B. Figure 2 given below shows the block diagram of image forwarding phase. The re-encrypted code word symbol is the combination of cipher texts under B's public key.

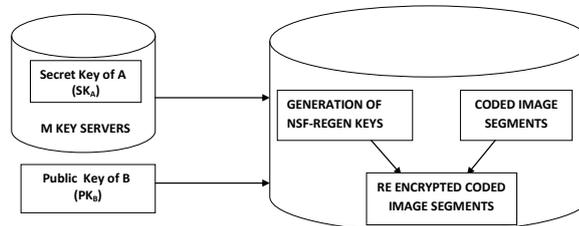


Figure 2. Image forwarding

- In the Image retrieval phase, user A requests to retrieve a medical image from storage servers. The medical image is either stored by him or forwarded to him. User A sends a retrieval request to key servers. Upon receiving the retrieval request and executing a proper authentication process with user A, each key server KSi requests u randomly chosen storage servers to get codeword symbols and does partial decryption on the received codeword symbols by using the key share SKAi. Figure 3 given below shows the block diagram of image retrieval phase. Finally, user A combines the partially decrypted codeword symbols to obtain the original image M.

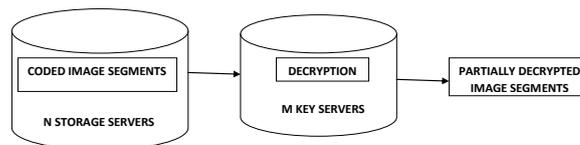


Figure 3. Image retrieval



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B. Risk Model

We consider data confidentiality for both data storage and data forwarding. In this threat model, an attacker wants to break data confidentiality of a target user. To do so, the attacker colludes with all storage servers, non-target users, and up to (t-1) key servers. The attacker analyzes stored images in storage servers, the secret keys of non-target users, and the shared keys stored in key servers. Note that the storage servers store all re-encryption keys provided by users. The attacker may try to generate a new re-encryption key from stored re-encryption keys.

A cloud storage system modelled in the above is secure if no probabilistic polynomial time attacker wins the game with a non-negligible advantage. A secure cloud storage system implies that an unauthorized user or server cannot get the content of stored images, and a storage server cannot generate re-encryption keys by himself. If a storage server can generate a re-encryption key from the target user to another user B, the attacker can win the security game by re-encrypting the cipher text to B and decrypting the re-encrypted cipher text using the secret key SKB. Therefore, this model addresses the security of data storage and data forwarding.

C. Solution for Risk Evaluation

A straightforward solution to supporting the image forwarding function in a distributed storage system is as follows: when the owner A wants to forward a image to user B, he downloads the encrypted image and decrypts it by using his secret key. He then encrypts the image by using B's public key and uploads the new cipher text. When B wants to retrieve the forwarded image from A, he downloads the cipher text and decrypts it by his secret key. The whole data forwarding process needs three communication rounds for A's downloading and uploading and B's downloading. The communication cost is linear in the size of the forwarded image. The computation cost is the decryption and encryption for the owner A, and the decryption for user B.

n-server forward re-encryption schemes can significantly decrease communication and computation cost of the owner. In a n- server forward re-encryption schemes, the owner sends a re-encryption key to storage servers such that storage servers perform the re-encryption operation for him. Thus, the communication cost of the owner is independent of the size of forwarded image and the computation cost of re-encryption is taken care of by storage servers. n- server forward re-encryption schemes significantly reduce the overhead of the data forwarding function in a secure storage system.

V. CONSTRUCTION OF SECURE MEDICAL IMAGE CLOUD STORAGE

A. Initial association

The association algorithm generates the system parameters μ . A user uses KeyGen() to generate his public and secret key pair and ShareKeyGen() to share his secret key to a set of m key servers with a threshold t, where $k \leq t \leq m$.

1. Setup(). Run Gen() to obtain (g, h, e, G_1, G_2, p) where $e: G_1 \times G_1 \rightarrow G_2$ is a bilinear map, g and h are generators of G_1 , and both G_1 and G_2 have the prime order p. Set $\mu = (g, h, e, G_1, G_2, p)$ where $f: Z_p \times \{0, 1\} \rightarrow Z_p$ is a one-way hash function.
2. KeyGen(): For a user A, the algorithm selects $a_1, a_2, a_3 \in R Z_p$ and sets $PKA = (ga_1, ha_2)$ $SKA = (a_1, a_2, a_3)$.
3. ShareKeyGen(SKA, t, m). This algorithm shares the secret key SKA of a user A to a set of m key servers by using two polynomials $f_{A,1}(z)$ and $f_{A,2}(z)$ of degree t-1 over the finite field $GF(p)$.

$$f_{A,1}(z) = a_1 + v_1z + v_2z^2 + \dots + v_{t-1}z^{t-1} \pmod{p},$$

$$f_{A,2}(z) = a_2^{-1} + v_1z + v_2z^2 + \dots + v_{t-1}z^{t-1} \pmod{p},$$

where $v_1, v_2, \dots, v_t \in R Z_p$. The key share of the secret key SKA to the key server KS_i is $SKA_{i,j} = (f_{A,1}(i), f_{A,2}(i))$ where $1 \leq i \leq m$.

B. Image storage

When user A wants to store a image of k blocks m_1, m_2, \dots, m_k with the identifier ID, he computes the identity token $\tau = hf(a_3, ID)$ and performs the encryption algorithm Enc(.) on τ and k blocks to get k original ciphertexts $C_1,$

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C_2, \dots, C_k . An original cipher text is indicated by a leading bit $b = 0$. User A sends each cipher text C_i to v randomly chosen storage servers. A storage server receives a set of original cipher texts with the same identity token τ from A. When a ciphertext C_i is not received, the storage server inserts $C_i = (0, 1, \tau, 1)$ to the set. The special format of $(0, 1, \tau, 1)$ is a mark for the absence of C_i . The storage server performs Encode(.) on the set of k ciphertexts and stores the encoded result (codeword symbol).

1. Enc(PKA, $\tau, m_1, m_2, \dots, m_k$). For $m_i, 1 \leq i$, this algorithm computes

$$C_i = (0, \alpha_i, \beta, \gamma_i) = (0, g^{r_i}, \tau, m_i \tilde{e}(g^{a_i}, \tau^{r_i}))$$

2. Encode(C_1, C_2, \dots, C_k). For each ciphertext C_i , the algorithm randomly selects a coefficient g_i . If some ciphertext C_i is $(0, 1, \tau, 1)$ the coefficient g_i is set to 0. Let $C_i = (0, \alpha_i, \beta, \gamma_i)$. The encoding process is to compute an original codeword symbol C_0

$$\begin{aligned} C' &= \left(0, \prod_{i=1}^k (\alpha_i^{g_i}), \beta, \prod_{i=1}^k (\gamma_i^{g_i}) \right) \\ &= \left(0, g^{\sum_{i=1}^k g_i r_i}, \tau, \prod_{i=1}^k m_i^{g_i} \tilde{e}(g^{a_i}, \tau)^{\sum_{i=1}^k g_i r_i} \right) \\ &= (0, g', \tau, W \tilde{e}(g, \tau)^{a_1 r'}), \end{aligned}$$

Where

$$W = \prod_{i=1}^k m_i^{g_i}$$

C. Image forwarding

User A wants to forward an image to another user B. He needs the first component a_1 of his secret key. If A does not possess a_1 , he queries key servers for key shares. When at least t key servers respond, A recovers the first component a_1 of the secret key SKA via the KeyRecover(.) algorithm. Let the identifier of the image be ID. User A computes the re-encryption key RKID via the ReKeyGen(.) algorithm and securely sends the re-encryption key to each storage server. By using RKID a storage server re-encrypts the original codeword symbol C_0 with the identifier ID into a re-encrypted codeword symbol C_{00} via the ReEnc(.) algorithm such that C_{00} is de-encryptable by using B's secret key. A re-encrypted codeword symbol is indicated by the leading bit $b=1$. Let the public key PKB of user B be (g, h, b_2) .

1. KeyRecover(SKA; i_1, \dots, i_t ; SKA; j_1, \dots, j_t). Let $T = \{i_1, i_2, \dots, i_t\}$. This algorithm recovers a_1 via Lagrange interpolation as follows

$$a_1 = \sum_{s \in T} \left(f_{A,1}(s) \prod_{s' \in T/\{s\}} \frac{-s'}{s - s'} \right) \text{mod } p.$$

2. ReKeyGen(PKA; SKA; ID; PKB). This algorithm selects $e \in \mathbb{Z}_p^*$ and computes

$$RK_{A \rightarrow B}^{ID} = ((h^{b_2})^{a_1 (f(a_3, ID) + e)}, h^{a_1 e}).$$

3. ReEnc(RKID $A \rightarrow B$; C_0). Let $C_0 = (0, \alpha, \beta, \gamma) = (0, g^{r'}, \tau, W \tilde{e}(g, \tau)^{a_1 r'})$ for some r' and some W , and $RKID_{A \rightarrow B} = (h^{b_2 a_1 (f(a_3, ID) + e)}, h^{a_1 e})$ for some e . The re-encrypted codeword symbol is computed as follows

$$\begin{aligned} C'' &= (1, \alpha, h^{b_2 a_1 (f(a_3, ID) + e)}, \gamma \cdot \tilde{e}(\alpha, h^{a_1 e})) \\ &= (1, g', h^{b_2 a_1 (f(a_3, ID) + e)}, W \tilde{e}(g, h)^{a_1 r' (f(a_3, ID) + e)}). \end{aligned}$$

Note that the leading bit 1 indicates C_{00} is a re-encrypted cipher text.

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D. Image retrieval

There are two cases for the image retrieval phase. The first case is that a user A retrieves his own image. When user A wants to retrieve the image with the identifier ID, he informs all key servers with the identity token τ . A key server first retrieves original codeword symbols from u randomly chosen storage servers and then performs partial decryption $\text{ShareDec}(\cdot)$ on every retrieved original codeword symbol C_0 . The result of partial decryption is called a partially decrypted codeword symbol. The key server sends the partially decrypted codeword symbols ζ and the coefficients to user A. After user A collects replies from at least t key servers and at least k of them are originally from distinct storage servers, he executes $\text{Combine}(\cdot)$ on the t partially decrypted code word symbols to recover the blocks $m_1; m_2; \dots; m_k$. The second case is that a user B retrieves a image forwarded to him. User B informs all key servers directly. The collection and combining parts are the same as the first case except that key servers retrieve re-encrypted codeword symbols and perform partial decryption $\text{ShareDec}(\cdot)$ on re-encrypted codeword symbols.

1. $\text{ShareDec}(SK_j; X_i)$. X_i is a codeword symbol, where $X_i = (b, \alpha, \beta, \gamma)$ and b is the indicator for original and re-encrypted codeword symbols. SK_j is a key share, where $SK_j = (sk_0, sk_1)$. By using the key share SK_j , the partially decrypted codeword symbol $\zeta_{i,j}$ of X_i is generated as follows:

$$\zeta_{i,j} = (b, \alpha, \beta, \beta^{sk_b}, \gamma).$$

2. Combine In the first case $b = 0$ for original codeword symbols, user A wants to retrieve his own image. The algorithm combines the t values $(\beta_{1,j}, \beta_{2,j}, \dots, \beta_{t,j})$ to obtain $\tau_{A,1} = \tau f_{A,1}(0)$ via the Lagrange interpolation over exponents

$$\tau^{a_1} = \prod_{(i,j) \in S} \left((\beta'_{i,j})^{\prod_{r \in S, r \neq j} \frac{-1}{r-j}} \right) = \tau^{f_{A,1}(0)}.$$

For each of the partially decrypted codeword symbols $\zeta_{i,j}$ where $i \in S_1$, the algorithm computes

$$w_i = \frac{\gamma_{i,j}}{\tilde{e}(\alpha_{i,j}, \tau^{f_{A,1}(0)})} = \frac{w_i \tilde{e}(g^{a_1}, \tau^{r'})}{\tilde{e}(g^{r'}, \tau^{f_{A,1}(0)})},$$

for some r_0 , where $f_{A,1}(0) = a_1$.

Observe that $w_i = m_1 g^{1,i} m_2 g^{2,i} \dots m_k g^{k,i}$ and there are k such equations. Consider the square matrix $K = [g^{i,j}]$ where $1 \leq i \leq k, j \in S_1$. The decoding process is to compute K^{-1} and output the blocks m_1, m_2, \dots, m_k . The algorithm fails when the square matrix K is noninvertible. In the second case $b = 1$ for re-encrypted codeword symbols, user B wants to retrieve the image forwarded to him. The algorithm does the following computation to obtain

$$\begin{aligned} h^{(f(a_3, ID) + \epsilon) a_1} &= \prod_{(i,j) \in S} \left((\beta'_{i,j})^{\prod_{r \in S, r \neq j} \frac{-1}{r-j}} \right) \\ &= h^{(f(a_3, ID) + \epsilon) a_1} b_{B,2}(0), \end{aligned}$$

where $b_{B,2}(0) = b_2 - 1$. Again, for each of $\tau_{i,j}$, where $i \in S_1$, the algorithm computes an encoded block

$$w_i = \frac{\gamma_{i,j}}{\tilde{e}(\alpha_{i,j}, h^{(f(a_3, ID) + \epsilon) a_1})} = \frac{w_i \tilde{e}(g, h)^{a_1 r' (f(a_3, ID) + \epsilon)}}{\tilde{e}(g^{r'}, h^{(f(a_3, ID) + \epsilon) a_1})}$$

The rest in the second case is the same as that in the first case.



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VI. CONCLUSION

We present a practical cloud storage system which aims to provide access control, robustness and confidentiality over medical images shared in a cloud storage system. We use n -server forward re-encryption scheme and d -dimensional erasure codes for providing security. We describe the essential operations on cryptographic keys so as to achieve access control and authorized access. To decrypt an image of k blocks that are encrypted and encoded to n codeword symbols, each key server only has to partially decrypt two codeword symbols in our system. Storage servers provide the forwarding operation on authorized request without the participation of user and key servers manage the keys on behalf of user thereby reducing the user overhead. Moreover, each storage server independently performs encoding and re-encryption and each key server independently performs partial decryption. Medical Imaging and Cloud computing could become the most data and computing intensive activities in future. Cost effective measures which provide strong security for such data are essential. Therefore, we have presented a secure and cost effective biomedical image sharing in cloud storage systems.

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