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Parametric PID-Regulator Tune of Ship Diesel Rotation Speed By Means of MATLAB Prompts.

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ABSTRACT

The article is devoted to diesel speed regular parametric tuning for training on ship simulator by means of MATLAB. To keep the controller as simple as possible PID regulator is used for step-response rising of quality indicators. For automated tuning the program in MATLAB codes is created. The example is considered.

INTRODUCTION

The increase of requirements for energetic efficiency, safety and reliability of energetic installations in sea and waterway ships, on the basis of modern systems of automation and control is an important scientific and technical concern. The equipment supply of ships with complex technical means and systems, constructed with the new computer technologies, should be done simultaneously with the improvement in the level of professional training.

Efficient means of training such staffs are the simulators. In simulators and program complex at a good quality level, we solve problems of systems modelling, parametric tune with maximal approximation. We construct algorithms that permit us to avoid default situations. Simulators are widely used for research works, related to the choice of rational technical regimes and parametric optimisation of control systems with technical means in various applications.

For training of mechanical technicians, we can use simulators in machine sections [2]. In operating main ship motors and auxiliary mechanisms, we use control systems in simulators, equipped with regulators. We construct tune methods by various criteria. It has been proven by experience that the process of parametric tune and functioning characteristic optimisation of ship control systems have a certain volume of information in the simulator that is insufficient, for understanding the behaviour with feedback signals in statics and in dynamics. In the case where PID-regulators are corporate in automated systems, numerical values are recommended without convenient justification.

Further improvement in simulators can be done through construction of program simulators complexes, based on MATLAB/simulink medium. The principal advantage of MATLAB/simulink is that we can build various programs applied in different ships for navigation. The application of MATLAB assures high quality in modelling.

Modern technologies of modelling constitute an arsenal of efficient means for solving complex technical issues in waterways transport.

Model Used

Let us solve a precise problem. We consider the analysis and modelling by MATLAB means of regulated automated system of rotation speed for a ship diesel. We do the parametric tune of PID-regulator to improve the control quality.

We note that the definition of parameters for PID-regulator tuning is one of the key problems for a simulator in machine section. The aim of modelling is to evaluate regulator properties of control system. The modelling object is the diesel equipment with shaft generator. The effective diesel power is 15886KwT, the rotation speed in nominal regime is 122tr/min. We use the model in the form of differential equations, presented in the work [1].

We consider the following notations:

$\omega(t)$ – rotation speed;
 $h(t)$ – movement of control organ by rotation speed of diesel;
 $r(t)$ – input signal;
 $M_d(t)$ – torque of motor;
 $P_g(t)$ – power of shaft generator
 T_a – time constant of GM, diesel with generator;
 T_i – time constant of regulator isodrom;
 T_s – time constant of servomotor;
 Z – coefficient of self leveling of the motor;
 K_h – transfer coefficient of GM (with time constant T_a);
 K_c – transfer coefficient of the model that determines the action of $M_d(t)$ on $\omega(t)$;
 K_{vg} – transfer coefficient of shaft generator model;
 K_g – static coefficient of regulator;
 K_f – coefficient of isodrom feedback of regulator;
 K_p – proportional component of PID – regulator;
 K_i – integral component of PID-regulator
 K_d – differential component of PID regulator;
 δ – coefficient of non-uniformity of regulator;
 J – regulating coefficient.

The dynamic equations for the regulation of rotation speed of diesel energetic installation GM – SG will look as follows [1]:

Motor model:

$$T_a \frac{d\omega(t)}{dt} + Z\omega(t) = K_h h(t) - K_c M_d(t) - K_g P_g(t);$$

Regulator model ;

$$T_r T_s \delta \frac{d^2 h(t)}{dt^2} + [T_s \delta + T_i (K_r \delta J + K_g)] \frac{dh(t)}{dt} + K_g h(t) = - (T_r \frac{d\omega(t)}{dt} + \omega(t))$$

It is much convenient to express the equations in the operator form. Considering the zero initial conditions with Laplace operator s , we can express the relation between the input and output coordinates as algebraic equations:

For motor model:

$$\omega(s) = d\nu A1(s)(K_h h(s) - K_c M_d(s) - K_g P_g(s)); \quad \text{eq1}$$

Transfer function for regulator model;

$$\text{regA}(s) = \frac{h(s)}{\omega(s)} = \frac{b_1 \cdot s + b_2}{a_1 \cdot s^2 + a_2 s + a_3} \quad \text{eq2}$$

where;

$$\begin{cases} a_1 = T_r T_s \delta; \\ a_2 = T_s \delta + T_i \cdot (K_f J \delta + K_g); \\ a_3 = K_g; \\ b_1 = T_i; \\ b_2 = 1 \end{cases}$$

Transfer function - $dvA1(s) = \frac{1}{T_a s + Z}$

The bloc diagram of the system is presented on figure1. From equation (eq1), while constructing the model, we consider the factor $dvA1(s)$ whose input receives 03 (three) signals: control $h(s)$, perturbations $M_d(s)$ and $P_g(s)$.

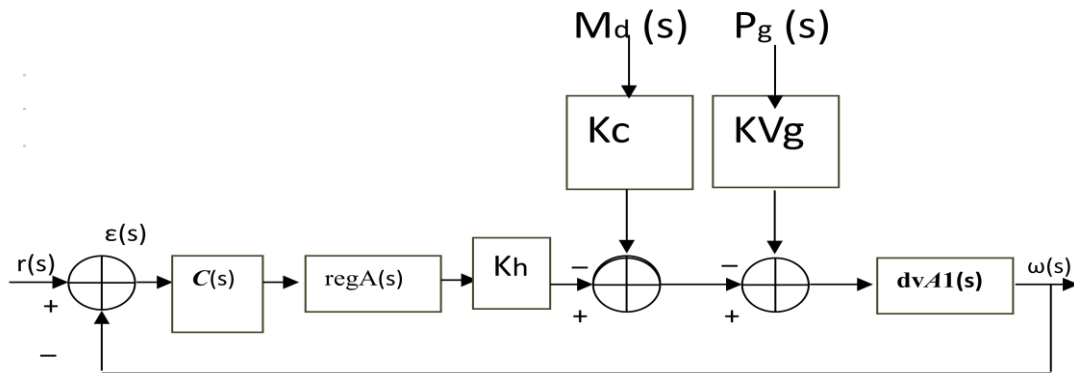


Figure 1: Block diagram of rotation speed regulation of diesel energetic installation GD-SG (generator-Motor and shaft generator).

The transfer function of closed loop system (figure 1) in regulating rotation speed on deviation from given value $r(s)$ is:

$$F1(s) = \frac{\omega(s)}{r(s)} = \frac{W1(s)}{1+W1(s)} \quad \text{eq3}$$

Where $W1(s) = c(s) \cdot k_r \cdot \text{regA}(s) \cdot dvA1(s)$

The transfer function on perturbations $M_d(s)$ and $P_g(s)$ respectively are:

$$F22(s) = \frac{\omega(s)}{M_d(s)} = \frac{K_c dvA1(s)}{1+c(s) \cdot K_h \cdot \text{regA}(s) \cdot dvA1(s)} \quad \text{eq4}$$

$$F33(s) = \frac{\omega(s)}{p_g(s)} = \frac{K_{vgc} dvA1(s)}{1+c(s) \cdot K_h \cdot \text{regA}(s) \cdot dvA1(s)} \quad \text{eq5}$$

We will use equations eq3 – eq5 for modeling processes occurring in the system in dynamic regimes. For that purpose, we construct file sah794.m in MATLAB codes. We first choose tune parameters of the system with static regulator. We exclude the influence of PID-regulator on dynamics by choosing $K_p = 1$, $K_i = 0$ and $K_d = 0$.

We consider the following values:

$$T_s = 0.067; J = 2.2; K_g = 0.01; \delta = 0.12; K_f = 0.355; T_i = 0.7.$$

By replacing those values in eq2 we have

$$\text{regA}(s) = \frac{0.7s+1}{0.005628s^2 + 0.08064s + 0.01} \quad \text{eq6}$$

For object dynamic model, we consider:

Ta=1.9; Z=1.5; Kh = 1.0; kv_g = 0.85; K_{reg} = 1

We now have the following expressions.

$$F_{1(s)} = \frac{\omega(s)}{r(s)} = \frac{0.5955+0.85}{0.01069S^3 + 0.1617S^2 + 0.735S+0.865} \quad \text{eq7}$$

$$F_{22(s)} = \frac{\omega(s)}{M_d(s)} = \frac{0.005628S^2+0.08064S+0.01}{0.01069S^3 + 0.1617S^2 + 0.735S+0.865} \quad \text{eq8}$$

$$F_{33(s)} = \frac{\omega(s)}{P_g(s)} = \frac{0.004784S^2 + 0.06855S + 0.0085}{0.01069S^3 + 0.1617S^2 + 0.735S+0.865} \quad \text{eq9}$$

Thus, we can choose tune parameters of the regulator, considering that the variation diapason for two of them is defined by passport data:

$$T_i = 0,05 \div 2.5 \text{ s}; K_g = 0.01 \div 0.1.$$

Very often the choice of parameters that assure given quality indicators in transient regime is done by variation of T_i and K_g with visual evaluation of the reaction to unit input signal at each iteration.

When only two of parameters vary, this path is acceptable. Meanwhile, in case when their number increases, other modern technologies and methods of decision making on parametric optimization of technical systems are needed. Elsewhere, visual evaluation cannot avoid subjective decisions made by the operator.

Technical means of MATLAB permit to solve problems linked with parametric optimization and also to go through various issues concerned with systems analysis and synthesis. Thus for example spectrum evaluation functions eig(Fi(s)) used in closed loops (eq7 – eq9) permit to choose the roots of characteristic equations from the constraints of stability and oscillation. The use of the function S=stepinfo (y,t) for variables gives the possible evaluation numeric values of transient process time.

For parametric tuning and graphics representation in the process of simulator preparation, we construct file sah794.m in MATLAB codes that accomplish the functions of program complex element. By varying parameters, we choose the most convenient regime. It corresponds to the values: T_i= 0,7 s; K_g = 0.01.

```
% sah794.m
%Regulator parameters:
Ts=0.067; J=2.2; Kg=0.01, delt=0.12; Kf=0.355; Ti=0.7;
s=tf('s');
a1=Ti*Ts*delt; a2=Ts*delt+Ti*(Kf*J*delt+Kg); a3=Kg;
% Formation of regulator transfer function:
num=[Ti 1]; den=[a1 a2 a3];
regA=tf(num,den).
%Model of motor dynamics:
Ta=1.9; Z=1.5; Kh=0.85; Kc=1.0; Kvg=0.85 ; kreg=1 ;
%Diesel transfer function :
den1=[Ta Z];
dvA1=tf(1,den1)
```

```
%=====
%PID-regulator parameters :

%Kp=20 ;

%Ki=0.3 ;Kd=1.2 ;

Kp=1 ; ki=0 ; Kd=0 ;

C=pid(Kp,Ki,Kd);

%=====
% Open loop system's transfer function 1(s)=ω(s)/ε(s)

W1=C*Kh*regA*dvA1

% System with unit feedback F1=ω(s)/r(s)=W1(s)/(1+W1(s)):

F1=feedback(W1,1)

% Transfer function on perturbation Md(s):F22(s)=ω(s)/Md(s)

F2=feedback(dvA1,C*Kh*regA,-1);

F22=Kc*F2

%Transfer function on perturbation Pg(s):F33(s)=ω(s)/Pg(s)

F3=feedback(dvA1,C*Kh*regA, -1)

F33=Kvg*F3

eig(F1)

%=====
% Graphical representations:

Subplot(2,2,1:2)

[ω,t]=step(F1,3);

Stepinfo(ω,t)

%[ω,t]=step(F1,0.5);

plot(t,ω),grid

subplot(2,2,3)

[Md,t]=step(F22,3);

plot(t,Md),grid

%axis([0 0.5 0 0.1])

Subplot(2,2,4)

[Pg,t]=step(F33,3);

plot(t,Md),grid
```

On figure 2 are represented the graphics of transient processes in the system regulating the rotation speed of diesel shaft. The proper values of the system with quality tuning parameters.: $\lambda_{1,2} = -6.6524 \pm j0.5886$;

$\lambda_3 = -1.8137$.

Evaluation of indicators by the function stepinfo:

Time of reaction in active domain (RiseTime): 0.3395s

Time of transient process: 1.7193s

Lower limit (Yest): 0.8934

Upper limit (Yest): 1.0593

Rise value in %: 7.5608.

Deviation from lower limit (Yest): 0

Maximal amplitude (peak): 1.0593

Transient process in the system on control signal r(t)

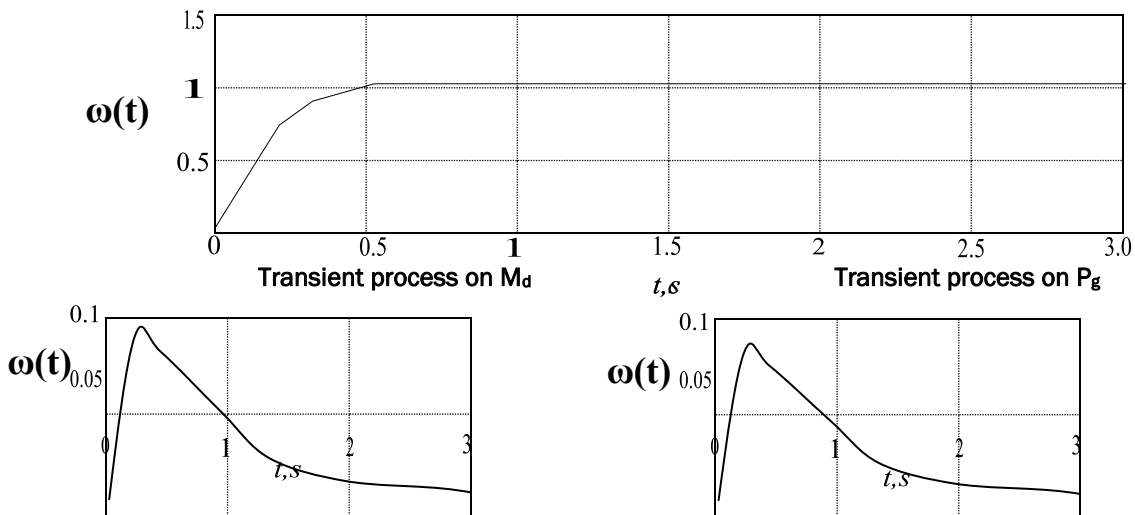


Figure 2: Transient processes in the system with regulator.

The graphics of transient process on perturbations corresponding to transfer functions eq8 and eq9 have the following indicators:

	Pg	Md
Time of transient process	2.4963s	2.4963s
lower limit (Yest.)	0.0108	0.0127
Upper limit (Yest.)	0.0811	0.0954
Deviation from under limit (Yest.)	0.0000	0.0000
Maximal amplitude (peak)	0.0811	0.0954
Time to reach the maximum (peaktime)	0.3871s	0.3871s

Research on simulator for other variants of tuning with the regulator shows that these are no better quality indicators than these because the whole action diapason is studied. In the static system there is an established error. The time of transient process – 2s can influence the quality of sustaining the rotation speed of GD and frequency of alternative current in the electric circuit. The shaft generator is linked strongly with the shaft of GD. That is why any action on perturbations system can negatively act on functioning conditions of the ship power electric station.

The specificity of representing the system dynamics in the form of transfer functions, equations in state space, in the model with zeros and poles, frequency characteristics and others, defines modeling means, synthesis and time regulating methods.

For improvement of dynamic properties of the system, we use the PID-regulator.

We note that in the control tools of MATLAB medium we can use the pid function. Function syntax:

$$C = \text{pid}(K_p, K_i, K_d, T_f)$$

Where T_f – time constant of the aperiodic element filter. The transfer function of pid-regulator model with parallel structure is:

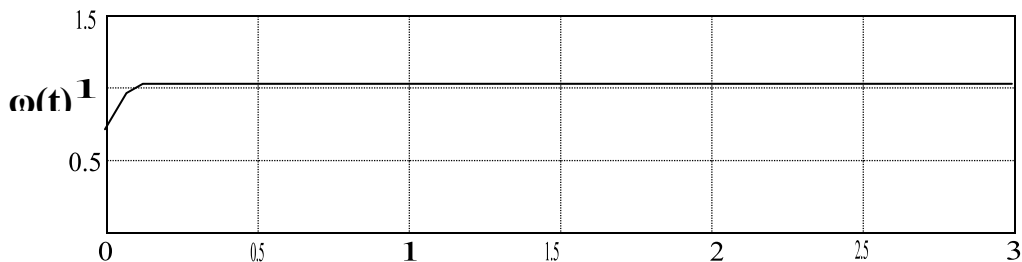
$$C(s) = K_p + \frac{K_i}{s} + \frac{K_d \cdot s}{T_f \cdot s + 1} \tag{eq10}$$

While choosing the tune parameters, we remind that the increase of K_p reduces the error in established regime but also reduces the stability margin on phase and amplitude, that is why some oscillations can occur. The introduction of integral coefficient K_i favours the reduction up to zero of static error in established regime due to the increase of transfer coefficient in low frequencies with reduction of phase stability margin. The increase of differential component K_d also increases the transfer coefficient in high frequencies. As a result the aspect of transient process is ameliorated. The choice of T_f limits the action of high frequency noise on control system. If we return to the system on figure 1, and transfer functions (eq3 – eq5), we have the regulator as the block $C(s)$. While studying the properties of the system, we considered $K_p=1$, $K_i=0$, $K_d=0$. This situation has excluded the regulator influence on the tune parameters. Let us study the possible improvement of quality tuning by the choice of PID- regulator parameters.

Let us first consider $K_p=20$. We have damped oscillations regime. Modeling is done with file sah794.m. Next we consider $K_i=0.3$ and $K_d=1.2$ and the transient processes are improved (figure 3). With the operator `stepinfo` (ω, t) to evaluate the indicators of transient processes in the model represented on upper graphic (figure 3), we have the following:

Time of reaction in active domain (RiseTime):	0.0297s
Time of transient process:	0.0456s.
Lower limit (Yest.):	0.09073.
Upper limit (Yest.):	1.0181.
Rise value in % :	1.08773
Deviation from lower limit(Yest.):	0.
Maximal amplitude (peak):	1.0181.

Transient process with PID-regulator ($K_p=20$, $K_i=0.03$, $K_d=1.2$)



Transient process on P_g

Transient process on M_d

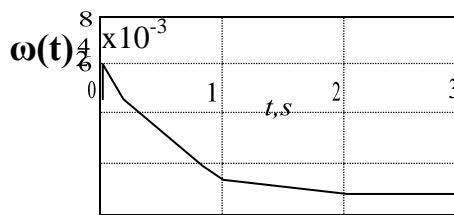
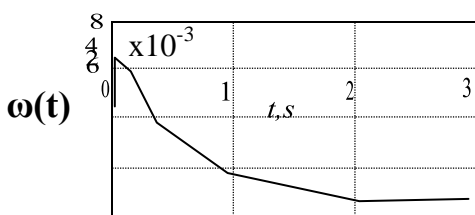


Figure 3: - Representation of transient processes in the system with PID – regulator

We obtain the transfer functions of the closed – loop system with PID – regulator.

$$F1 = \frac{\omega(s)}{r(s)} = \frac{0.714s^3 + 12.92s^2 + 17.18s + 0.255}{0.019069s^4 + 0.8757s^3 + 13.06s^2 + 17.19s + 0.255} \quad \text{eq11}$$

$$F22 = \frac{\omega(s)}{M_d(s)} = \frac{0.005628s^3 + 0.08064s^2 + 0.01s}{0.019069s^4 + 0.8757s^3 + 13.06s^2 + 17.19s + 0.255} \quad \text{eq12}$$

$$F33 = \frac{\omega(s)}{P_g(s)} = \frac{0.004784s^3 + 0.06855s^2 + 0.0085s}{0.019069s^4 + 0.8757s^3 + 13.06s^2 + 17.19s + 0.255} \quad \text{eq13}$$

The proper values of these expressions are:

$$\lambda_1 = -62.8704; \lambda_2 = -175651; \lambda_3 = -1.4394; \lambda_4 = -0.0150$$

In the interactive regime of MATLAB, we got a case similar to the one on eq11 – eq13, with the following values of coefficients: $K_p=16.4837$, $K_i = 12.2345$ and $K_d = 0.72045$. For modelling we used the pidtool function.

Finally, let us study the reaction of the system with PID – regulator on simultaneous actions of perturbations M_d and P_g . For that purpose we consider rectangular form signal for the shaft generator and complex form signal for the torque. On figure 4, we represent the rotation speed $\omega(t)$ of diesel shaft (upper part of the figure), depending on input signals $r(t), M_d(t), P_g(t)$ represented on the lower part.

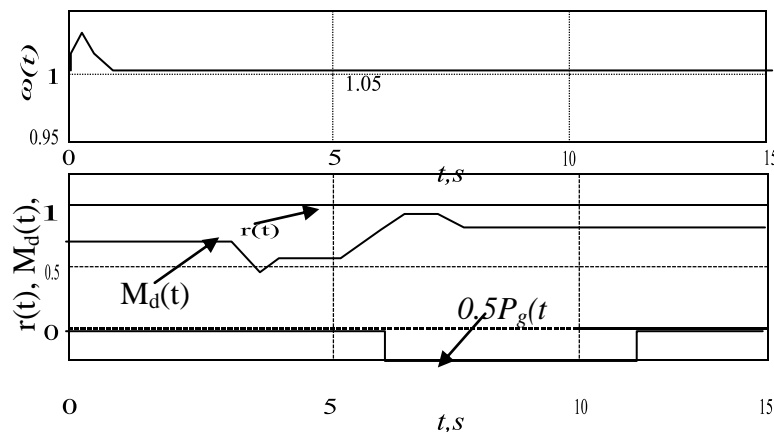


Figure 4: Rotation speed of diesel shaft on actions $r(t)=1, M_d(t), P_g(t)$

CONCLUSION

From the graphics, it is proven that quality indicators of the system with PID - regulator are better than those in the static system. We have a good stability of the rotation speed of shaft generator and consequently generation of electrical energy with good quality in the ship network. Modelling with the use of MATLAB tools allows us to get simple precise solutions, to reduce the time of parametric optimisation and enables quantitative evaluation for decisions made. The modelling results can be confirmed on a simulator by introducing numerical parameters from a control center and getting results on a screen. The role of modelling while studying complex ship technical equipment and the improvement of exploitation level is very crucial.

Through an example of parametric tuning in this paper, we have shown that simulators can improve the decision making in control systems.

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