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# Three, Four, Five, Six, Seven, Nine and Thirty Two Number Systems in Digital Electronics 

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#### Abstract

Number system is a basis for counting various items. On hearing the word "number", all of us immediately think of the familiar decimal number system with its ' 10 ' digits: $0,1,2,3,4,5,6,7,8$ and 9 . Modern computers communicate and operate with binary numbers (combination of 0 's and 1 's). Let us consider decimal number ' 08 '. This number is represented in binary as ' 1000 '. In the example, if decimal number is considered, we require only 'two digits' to represent the number, whereas if binary number is considered we required 'four digits. Therefore, we can say that, when decimal numbers are represented in the binary form, they take more digits. For large decimal numbers peoples have to deal with very large binary strings and therefore, they do not like working with binary numbers. This fact gave rise to three number systems: Octal, Hexadecimal and Binary Coded Decimal (BCD). These number systems represent binary numbers in a compressed form. Therefore, these systems are now widely used to compress large strings of binary numbers. In this article, I introduce the new number systems such as three, four and five, six, seven, nine and thirty-two number systems.


Keywords: Computers; Decimal numbers; Octal, Hexadecimal and binary coded decimal

## I. INTRODUCTION

### 1.1 Three Number System

Three means "three numbers". The three number system uses only "three" symbols (numbers) (Table 1). They are " 0 ", " 1 " and " 2 ". Hence, the radix (base) of the three number system is " 3 ".

| Decimal number | Three number system |
| :---: | :---: |
| 0 | 0 |
| 1 | 1 |
| 2 | 2 |
| 3 | 10 |
| 4 | 11 |
| 5 | 12 |
| 6 | 20 |
| 7 | 21 |
| 8 | 22 |
| 9 | 100 |
| 10 | 101 |
| 11 | 102 |
| 12 | 110 |
| 13 | 111 |

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| 14 | 112 |
| :---: | :---: |
| 15 | 120 |
| 16 | 121 |
| 17 | 122 |
| 18 | 200 |
| 19 | 201 |
| 20 | 202 |

Table 1: Three number system.
1.1.1 Conversation of three number system into decimal number system:

- Procedure: If a three system number has to be converted into decimal number [1], then we should multiply, the positional values of each bit with the bit value and add shown in examples 1, 2, 3 and 4.

Example-1: $(112)_{3}=()_{10}$

| $\mathbf{1}$ | $\mathbf{1}$ | $\mathbf{2}$ |
| :---: | :---: | :---: |
| $3^{2}[9]$ | $3^{1}[3]$ | $3^{0}[1]$ |
| $1 \times 9$ | $1 \times 3$ | $2 \times 1$ |
| 9 | 3 | 2 |
| $(14)_{10}$ |  |  |

Example-2: (100)3 = ( $)_{10}$

| $\mathbf{1}$ | $\mathbf{0}$ | $\mathbf{0}$ |
| :---: | :---: | :---: |
| $3^{2}[9]$ | $3^{1}[3]$ | $3^{0}[1]$ |
| $1 \times 9$ | $0 \times 3$ | $0 \times 1$ |
| 9 | 0 | 0 |
| $(9)_{10}$ |  |  |

Example-3: (200)3 = ( $)_{10}$

| $\mathbf{2}$ | $\mathbf{0}$ | $\mathbf{0}$ |
| :---: | :---: | :---: |
| $3^{2}[9]$ | $3^{1}[3]$ | $3^{0}[1]$ |
| $2 \times 9$ | $0 \times 3$ | $0 \times 1$ |
| 18 | 0 | 0 |
| $(18)_{10}$ |  |  |

Example-4: (201)3 = () ${ }_{10}$

| $\mathbf{2}$ | $\mathbf{0}$ | $\mathbf{1}$ |
| :---: | :---: | :---: |
| $3^{2}[9]$ | $3^{1}[3]$ | $3^{0}[1]$ |
| $2 \times 9$ | $0 \times 3$ | $1 \times 1$ |
| 18 | 0 | 0 |

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1.1.2 Conversation of decimal number system into three number system:

Procedure: For converting decimal number into three number system, divide the decimal number by ' 3 ', writing down the reminder after each division. The reminders taken in reverse order (down to up) to form the three number system [2].

Example-1: (14) $10=()_{3}$

## Solution:

| 3 | 14 |  |
| :---: | :---: | :---: |
| 3 | 4 | 2 |
|  | 1 | 1 |

(112) 3

Example-2: (9) $10=()_{3}$

## Solution:

| 3 | 9 |  |
| :--- | :--- | :--- |
| 3 | $\mathbf{3}$ | $\mathbf{0}$ |
|  | $\mathbf{1}$ | $\mathbf{0}$ |
|  |  |  |
| $(100)_{3}$ |  |  |

Example-3: (18) $10=()_{3}$
Solution:

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$(200)_{3}$

Example-4: (19) ${ }_{10}=()_{3}$

## Solution:

| 3 | 19 |  |
| :---: | :---: | :---: |
| 3 | 6 | 1 |
|  | 2 | 0 |

$(201)_{3}$

### 1.2 Four Number System

Four means "four numbers". The four number system uses only "four" symbols (numbers). They are " 0 ", " 1 ", " 2 " and " 3 ". Hence, the radix (base) of the four number system is " 4 " (Table 2).

| Decimal number | Four number system |
| :---: | :---: |
| 0 | 0 |
| 1 | 1 |
| 2 | 2 |
| 3 | 3 |
| 4 | 10 |
| 5 | 11 |
| 6 | 12 |
| 7 | 13 |
| 8 | 20 |
| 9 | 21 |
| 10 | 22 |
| 11 | 23 |

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| 12 | 30 |
| :---: | :---: |
| 13 | 31 |
| 14 | 32 |
| 15 | 33 |
| 16 | 100 |
| 17 | 101 |
| 18 | 102 |
| 19 | 103 |
| 20 | 110 |

Table 2: Four number system
1.2.1 Conversation of four number system into decimal number system:

Procedure: If a four system number has to be converted into decimal number, then we should multiply [3], the positional values of each bit with the bit value and add shown in examples 1, 2, 3 and 4.

Example-1: $(112)_{4}=()_{10}$

## Solution:

| $\mathbf{1}$ | $\mathbf{1}$ | $\mathbf{2}$ |
| :---: | :---: | :---: |
| $4^{2}[16]$ | $4^{1}[4]$ | $4^{0}[1]$ |
| $1 \times 16$ | $1 \times 4$ | $2 \times 1$ |
| 16 | 4 | 2 |
| $(22)_{10}$ |  |  |

Example-2: $(100)_{4}=()_{10}$

## Solution:

| $\mathbf{1}$ | $\mathbf{0}$ | $\mathbf{0}$ |
| :---: | :---: | :---: |
| $4^{2}[16]$ | $4^{1}[4]$ | $4^{0}[1]$ |
| $1 \times 16$ | $0 \times 4$ | $0 \times 1$ |
| 16 | 0 | 0 |
| $(16)_{10}$ |  |  |

Example-3: $(200)_{4}=()_{10}$

## Solution:

| $\mathbf{2}$ | $\mathbf{0}$ | $\mathbf{0}$ |
| :---: | :---: | :---: |
| $4^{2}[16]$ | $4^{1}[4]$ | $4^{0}[1]$ |
| $2 \times 16$ | $0 \times 4$ | $0 \times 1$ |
| 32 | 0 | 0 |

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Example-4: $(110)_{4}=()_{10}$

## Solution:

| $\mathbf{1}$ | $\mathbf{1}$ | $\mathbf{0}$ |
| :---: | :---: | :---: |
| $4^{2}[16]$ | $4^{1}[4]$ | $4^{0}[1]$ |
| $1 \times 16$ | $1 \times 4$ | $0 \times 1$ |
| 16 | 4 | 0 |
| $(20)_{10}$ |  |  |

### 1.2.2 Conversation of decimal number system into four number system:

Procedure: For converting decimal number into four number system, divide the decimal number by ' 4 ', writing down the reminder after each division. The reminders taken in reverse order (down to up) to form the four number system [4].

Example-1: (22) $)_{10}=()_{4}$

## Solution:

| 4 | 22 |  |
| :---: | :---: | :---: |
| 4 | 5 | 2 |
|  | 1 | 1 |

(112) 4

Example-2: (16) ${ }_{10}=()_{4}$
Solution:

| 4 | 16 |  |
| :--- | :--- | :--- |
| 4 | 4 | 0 |
|  | 1 | 0 |

$(100)_{4}$
Example-3: (32) ${ }_{10}=()_{4}$

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## Solution:

| 4 | 32 |  |
| :--- | :--- | :--- |
| 4 | 8 | 0 |
|  | 2 | 0 |

$\mathrm{COOO}_{4}$
Example-4: (20) ${ }_{10}=()_{4}$

## Solution:


$(110){ }_{4}$

### 1.3 Five Number System

Five means "five numbers". The five number system uses only "five" symbols (numbers). They are " 0 ", " 1 ", " 2 ", " 3 " and " 4 ". Hence, the radix (base) of the five number system is " 5 " (Table 3).

| Decimal number | Five number system |
| :---: | :---: |
| 0 | 0 |
| 1 | 1 |
| 2 | 2 |
| 3 | 3 |
| 4 | 4 |
| 5 | 10 |
| 6 | 11 |
| 7 | 12 |
| 8 | 13 |
| 9 | 14 |
| 10 | 20 |
| 11 | 21 |
| 12 | 22 |

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| 13 | 23 |
| :---: | :---: |
| 14 | 24 |
| 15 | 30 |
| 16 | 313 |
| 17 | 32 |
| 18 | 33 |
| 19 | 34 |
| 20 | 40 |

Table 3: Five number system.

### 1.3.1 Conversation of five number system into decimal number system:

Procedure: If a five system number has to be converted into decimal number, then we should multiply, the positional values of each bit with the bit value and add shown in examples $1,2,3$ and 4.

Example-1: $(32)_{5}=()_{10}$

## Solution:

| $\mathbf{3}$ | $\mathbf{2}$ |
| :---: | :---: |
| $5^{1}[5]$ | $5^{1}[1]$ |
| $3 \times 5$ | $2 \times 1$ |
| 15 | 2 |
| $(17)_{10}$ |  |

Example-2: $(100)_{5}=()_{10}$

## Solution:

| $\mathbf{1}$ | $\mathbf{0}$ | $\mathbf{0}$ |
| :---: | :---: | :---: |
| $5^{2}[25]$ | $5^{1}[5]$ | $5^{0}[1]$ |
| $1 \times 25$ | $0 \times 5$ | $0 \times 1$ |
| 25 | 0 | 0 |
| $(25)_{10}$ |  |  |

Example-3: $(10)_{5}=()_{10}$

## Solution:

| $\mathbf{1}$ | $\mathbf{0}$ |
| :---: | :---: |
| $5^{1}[5]$ | $5^{0}[1]$ |
| $1 \times 5$ | $0 \times 1$ |
| 5 | 0 |

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(5) ${ }_{10}$

Example-4: $(110)_{5}=()_{10}$

## Solution:

| $\mathbf{1}$ | $\mathbf{1}$ | $\mathbf{0}$ |
| :---: | :---: | :---: |
| $5^{2}[25]$ | $5^{1}[5]$ | $5^{0}[1]$ |
| $1 \times 25$ | $1 \times 5$ | $0 \times 1$ |
| 25 | 5 | 0 |
| $(30)_{10}$ |  |  |

### 1.3.2 Conversation of decimal number system into five number system:

Procedure: For converting decimal number into five number system, divide the decimal number by ' 5 ', writing down the reminder after each division. The reminders taken in reverse order (down to up) to form the five number system [57].

Example-1: (17) ${ }_{10}=()_{5}$

## Solution:


(32) ${ }_{5}$

Example-2: (25) ${ }_{10}=()_{5}$
Solution:

| 5 | 25 |  |
| :---: | :---: | :---: |
| 5 | 5 | 0 |
|  | 1 | 0 |

$(100)_{5}$
Example-3: (5) ${ }_{10}=()_{5}$

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## Solution:


$(10){ }^{5}$

Example-4: (30) ${ }_{10}=()_{5}$

## Solution:


$(110) 5$

### 1.4 Six Number System

Six means "six numbers". The six number system uses only "six" symbols (numbers). They are " 0 ", " 1 ", " 2 ", " 3 ", " 4 " and " 5 ". Hence, the radix (base) of the six number system is " 6 " (Table 4).

| Decimal number | Six number system |
| :---: | :---: |
| 0 | 0 |
| 1 | 1 |
| 2 | 2 |
| 3 | 3 |
| 4 | 4 |
| 5 | 5 |
| 6 | 10 |
| 7 | 11 |
| 8 | 12 |
| 9 | 13 |
| 10 | 14 |
| 11 | 15 |
| 12 | 20 |
| 13 | 21 |
| 14 | 22 |
| 15 | 23 |

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| 16 | 24 |
| :---: | :---: |
| 17 | 25 |
| 18 | 30 |
| 19 | 31 |
| 20 | 32 |

Table 4: Six number system.
1.4.1 Conversation of six number system into decimal number system:

Procedure: If a six system number has to be converted into decimal number, then we should multiply, the positional values of each bit with the bit value and add shown in examples $1,2,3$ and 4.

Example-1: $(030)_{6}=()_{10}$

## Solution:

| $\mathbf{0}$ | $\mathbf{3}$ | $\mathbf{0}$ |
| :---: | :---: | :---: |
| $6^{2}[36]$ | $6^{1}[6]$ | $6^{0}[1]$ |
| $0 \times 36$ | $3 \times 6$ | $0 \times 1$ |
| 0 | 18 | 0 |
| $(18)_{10}$ |  |  |

Example-2: $(100)_{6}=()_{10}$

## Solution:

| $\mathbf{1}$ | $\mathbf{0}$ | $\mathbf{0}$ |
| :---: | :---: | :---: |
| $6^{2}[36]$ | $6^{1}[6]$ | $6^{0}[1]$ |
| $1 \times 36$ | $0 \times 6$ | $0 \times 1$ |
| 36 | 0 | 0 |
| $(36)_{10}$ |  |  |

Example-3: $(200)_{6}=()_{10}$

## Solution:

| $\mathbf{2}$ | $\mathbf{0}$ | $\mathbf{0}$ |
| :---: | :---: | :---: |
| $6^{2}[36]$ | $6^{1}[6]$ | $6^{0}[1]$ |
| $2 \times 36$ | $0 \times 6$ | $0 \times 1$ |
| 72 | 0 | 0 |
| $(72)_{10}$ |  |  |

Example-4: (102) $)_{6}=()_{10}$

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## Solution:

| $\mathbf{1}$ | $\mathbf{0}$ | $\mathbf{2}$ |
| :---: | :---: | :---: |
| $6^{2}[36]$ | $6^{1}[6]$ | $6^{0}[1]$ |
| $1 \times 36$ | $0 \times 6$ | $2 \times 1$ |
| 36 | 0 | 2 |
| $(38)_{10}$ |  |  |

### 1.4.2 Conversation of decimal number system into six number system:

Procedure: For converting decimal number into six number system, divide the decimal number by ' 6 ', writing down the reminder after each division. The reminders taken in reverse order (down to up) to form the six number system [8].

Example-1: (18) ${ }_{10}=()_{6}$

## Solution:


(30) 6

Example-2: (36) ${ }_{10}=()_{6}$
Solution:

(100) 6

Example-3: (72) ${ }_{10}=()_{6}$

## Solution:



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(200) 6

Example-4: (38) ${ }_{10}=()_{6}$

## Solution:


(102) 6

### 1.5 Seven Number System

Seven means "seven numbers". The seven number system uses only "seven" symbols (numbers). They are " 0 ", " 1 ", " 2 ", " 3 ", " 4 ", " 5 " and " 6 ". Hence, the radix (base) of the seven number system is " 7 " (Table 5).

| Decimal number | Seven number system |
| :---: | :---: |
| 0 | 0 |
| 1 | 1 |
| 2 | 2 |
| 3 | 3 |
| 4 | 4 |
| 5 | 5 |
| 6 | 6 |
| 7 | 10 |
| 8 | 11 |
| 9 | 12 |
| 10 | 13 |
| 11 | 14 |
| 12 | 15 |
| 13 | 16 |
| 14 | 20 |
| 15 | 21 |
| 16 | 22 |
| 17 | 23 |
| 18 | 24 |
| 19 | 25 |
| 20 | 26 |

Table 5: Seven number system.

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1.5.1 Conversation of seven number system into decimal number system:

Procedure: If a seven system number has to be converted into decimal number, then we should multiply, the positional values of each bit with the bit value and add shown in examples 1, 2, 3 and 4 .

Example-1: $(15)_{7}=()_{10}$

## Solution:

| $\mathbf{0}$ | $\mathbf{1}$ | $\mathbf{5}$ |
| :---: | :---: | :---: |
| $7^{2}[49]$ | $7^{1}[7]$ | $7^{0}[1]$ |
| $0 \times 49$ | $1 \times 7$ | $5 \times 1$ |
| 0 | 7 | 5 |
| $(12)_{10}$ |  |  |

Example-2: $(23)_{7}=()_{10}$

## Solution:

| $\mathbf{0}$ | $\mathbf{2}$ | $\mathbf{3}$ |
| :---: | :---: | :---: |
| $7^{2}[49]$ | $7^{1}[7]$ | $7^{0}[1]$ |
| $0 \times 49$ | $2 \times 7$ | $3 \times 1$ |
| 0 | 14 | 3 |
| $(17)_{10}$ |  |  |

Example-3: (26)7 = () 10

## Solution:

| $\mathbf{0}$ | $\mathbf{2}$ | $\mathbf{6}$ |
| :---: | :---: | :---: |
| $7^{2}[49]$ | $7^{1}[7]$ | $7^{0}[1]$ |
| $0 \times 49$ | $2 \times 7$ | $6 \times 1$ |
| 0 | 14 | 6 |
| $(20)_{10}$ |  |  |

Example-4: $(102)_{7}=()_{10}$

## Solution:

| $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{0}$ |
| :---: | :---: | :---: |
| $7^{2}[49]$ | $7^{1}[7]$ | $7^{0}[1]$ |
| $1 \times 49$ | $2 \times 7$ | $0 \times 1$ |
| 49 | 14 | 0 |
| $(63)_{10}$ |  |  |

### 1.5.2 Conversation of decimal number system into seven number system:

Procedure: For converting decimal number into seven number system [9], divide the decimal number by ' 7 ', writing down the reminder after each division. The reminders taken in reverse order (down to up) to form the seven number system.

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Example-1: (12) ${ }_{10}=()_{7}$

## Solution:


$(15)_{7}$

Example-2: (17) ${ }_{10}=()_{7}$

## Solution:


$(23)_{7}$

Example-3: (20) ${ }_{10}=()_{7}$
Solution:

$(26)_{7}$

Example-4: (63) ${ }_{10}=()_{7}$
Solution:

$(120)_{7}$

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Nine means "nine numbers". The nine number system uses only "nine" symbols (numbers) [10]. They are " 0 ", " 1 ", $" 2 ", " 3 ", " 4 ", " 5 ", " 6 ", " 7 "$ and " 8 ". Hence, the radix (base) of the nine number system is " 9 " (Table 6).

| Decimal number | Eight number system |
| :---: | :---: |
| 0 | 0 |
| 1 | 1 |
| 2 | 2 |
| 3 | 3 |
| 4 | 4 |
| 5 | 5 |
| 6 | 6 |
| 7 | 10 |
| 8 | 11 |
| 9 | 12 |
| 10 | 13 |
| 11 | 14 |
| 12 | 15 |
| 13 | 16 |
| 14 | 20 |
| 15 | 21 |
| 16 | 22 |
| 17 | 23 |
| 18 | 24 |
| 19 | 25 |
| 20 | 26 |
|  |  |

Table 6: Nine number system.
1.6.1 Conversation of nine number system into decimal number system:

Procedure: If a nine system number has to be converted into decimal number, then we should multiply, the positional values of each bit with the bit value and add shown in examples 1, 2, 3 and 4.

Example-1: $(10)_{9}=()_{10}$

## Solution:

| $\mathbf{0}$ | $\mathbf{1}$ | $\mathbf{0}$ |
| :---: | :---: | :---: |
| $9^{2}[81]$ | $9^{1}[9]$ | $9^{0}[1]$ |
| $1 \times 81$ | $1 \times 9$ | $0 \times 1$ |
| 0 | 9 | 0 |
| $(9)_{10}$ |  |  |

Example-2: $(15)_{9}=()_{10}$

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## Solution:

| $\mathbf{0}$ | $\mathbf{1}$ | $\mathbf{5}$ |
| :---: | :---: | :---: |
| $9^{2}[81]$ | $9^{1}[9]$ | $9^{0}[1]$ |
| $0 \times 81$ | $1 \times 9$ | $5 \times 1$ |
| 0 | 9 | 5 |
| $(14)_{10}$ |  |  |

Example-3: $(20)_{9}=()_{10}$

## Solution:

| $\mathbf{0}$ | $\mathbf{2}$ | $\mathbf{0}$ |
| :---: | :---: | :---: |
| $9^{2}[81]$ | $9^{1}[9]$ | $9^{0}[1]$ |
| $0 \times 81$ | $2 \times 9$ | $0 \times 1$ |
| 0 | 18 | 0 |
| $(18)_{10}$ |  |  |

Example-4: $(22)_{9}=()_{10}$

## Solution:

| $\mathbf{0}$ | $\mathbf{2}$ | $\mathbf{2}$ |
| :---: | :---: | :---: |
| $9^{2}[81]$ | $9^{1}[9]$ | $9^{0}[1]$ |
| $0 \times 81$ | $2 \times 9$ | $2 \times 1$ |
| 0 | 18 | 2 |
| $(20)_{10}$ |  |  |

1.6.2 Conversation of decimal number system into nine number system:

Procedure: For converting decimal number into nine number system, divide the decimal number by ' 9 ', writing down the reminder after each division. The reminders taken in reverse order (down to up) to form the nine number system [11].

Example-1: (9) ${ }_{10}=()_{9}$

## Solution:


(10) ${ }_{9}$

Example-2: (14) ${ }_{10}=()_{9}$

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## Solution:


(15)9

### 1.7 32-bit Number System

32 mean " 32 numbers". The 32 number system uses " 32 " symbol (numbers). They are numbers "from 0 to 9 " and alphabets "from A to V". Hence, the radix (base) of the 32 number system is " 32 " (Table 7).

| Decimal number | 32 number system | Binary values |
| :---: | :---: | :---: |
| 0 | 0 | 0 |
| 1 | 1 | 1 |
| 2 | 2 | 10 |
| 3 | 3 | 11 |
| 4 | 4 | 100 |
| 5 | 5 | 101 |
| 6 | 6 | 110 |
| 7 | 7 | 111 |
| 8 | 8 | 1000 |
| 9 | A | 1001 |
| 10 | B | 1010 |
| 11 | C | 1011 |
| 12 | E | 1100 |
| 13 | F | 1101 |
| 14 | G | 1110 |
| 15 | H | 1111 |
| 16 | I | 10000 |
| 17 | J | 10001 |
| 18 | K | 10010 |
| 19 | L | 10011 |
| 20 | M | 10100 |
| 21 | 10110 |  |
| 22 |  |  |

Table 7: 32 number system.

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### 1.7.1 Conversation of $\mathbf{3 2}$ number system into decimal number system:

Procedure: If a 32 system number has to be converted into decimal number, then we should multiply, the positional values of each bit with the bit value and add shown in examples $1,2,3$ and 4.

Example-1: $(\mathrm{A})_{32}=()_{10}$

## Solution:

| $\mathbf{0}$ | $\mathbf{0}$ | $\mathbf{A}$ |
| :---: | :---: | :---: |
| $32^{2}[81]$ | $32^{1}[9]$ | $32^{0}[1]$ |
| $0 \times 1024$ | $0 \times 32$ | $10 \times 1$ |
| 0 | 0 | 10 |
| $(10)_{10}$ |  |  |

Example-2: (A2) ${ }_{32}=()_{10}$

## Solution:

| $\mathbf{0}$ | $\mathbf{A}$ | $\mathbf{2}$ |
| :---: | :---: | :---: |
| $32^{2}[1024]$ | $32^{1}[32]$ | $32^{0}[1]$ |
| $0 \times 1024$ | $10 \times 32$ | $2 \times 1$ |
| 0 | 320 | 2 |
| $(322)_{10}$ |  |  |

Example-3: $(5 \mathrm{~A})_{32}=()_{10}$

## Solution:

| $\mathbf{0}$ | $\mathbf{5}$ | $\mathbf{A}$ |
| :---: | :---: | :---: |
| $32^{2}[1024]$ | $32^{1}[32]$ | $32^{0}[1]$ |
| $0 \times 1024$ | $5 \times 32$ | $10 \times 1$ |
| 0 | 160 | 10 |
| $(170)_{10}$ |  |  |

Example-4: $(1 \mathrm{EA})_{32}=()_{10}$

## Solution:

| $\mathbf{1}$ | $\mathbf{E}$ | $\mathbf{A}$ |
| :---: | :---: | :---: |
| $32^{2}[1024]$ | $32^{1}[32]$ | $32^{0}[1]$ |
| $1 \times 1024$ | $14 \times 32$ | $10 \times 1$ |
| 1024 | 448 | 10 |
| $(1482)_{10}$ |  |  |

Example-5: (VVV) ${ }_{32}=()_{10}$

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## Solution:

| $\mathbf{3 1}$ | $\mathbf{3 1}$ | $\mathbf{3 1}$ |
| :---: | :---: | :---: |
| $32^{2}[1024]$ | $32^{1}[32]$ | $32^{0}[1]$ |
| $1 \times 1024$ | $14 \times 32$ | $31 \times 1$ |
| 1024 | 448 | 31 |
| 31744 | 992 | 31 |
| $(32767) 10$ |  |  |

1.7.2 Conversation of decimal number system into four number system:

Procedure: For converting decimal number into 32 number system, divide the decimal number by ' 32 ', writing down the reminder after each division. The reminders taken in reverse order (down to up) to form the 32 number system [12].

Example-1: (322) ${ }_{10}=()_{32}$

## Solution:


(A2) 32
Example-2: $(32)_{10}=()_{32}$

## Solution:

| 32 | 10 |  |
| :--- | :--- | :--- |
|  | 0 | 10 |
|  |  |  |

(A) 32

Example-3: (32767) ${ }_{10}=()_{32}$
Solution:

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| 32 | 32767 |  |
| :--- | :--- | :--- |
| 32 | 1023 | 31 |
|  | 31 | 31 |

(VVV) ${ }_{4}$

## II. CONCLUSION

The " 32 -bit number system" or simply " 32 " numbering system uses the Base of 32 system and are a popular choice for representing long binary values because their format is quite compact and much easier to understand compared to the long binary strings of 1 's and 0's.
Being a Base-32 system, the 32-bit numbering system therefore uses 32 (thirty-two) different digits with a combination of numbers from 0 through to $31(\mathrm{~V})$. In other words, there are 32 possible digit symbols.
In the everyday use of the decimal numbering system we use groups of three digits or 000 's from the right hand side to make a very large number such as a million or trillion, easier for us to understand and the same is also true in digital systems.
However, there is a potential problem with using this method of digit notation caused by the fact that the decimal numerals of 10 to 31 are normally written using two adjacent symbols. For example, if we write 10 in 32 number system, do we mean the decimal number ten, or the binary number of two $(1+0)$. To get around this tricky problem 32-bit system numbers that identify the values of ten, eleven,..., fifteen are replaced with capital letters of A to V respectively.
Also, since 32 in the decimal system is the fourth power of 2 (or 25 ), there is a direct relationship between the numbers 2 and 32 so one 32 number system digit has a value equal to five binary digits so now V is equal to " 31 ".

## III. REFERENCES

1. K Anand, Switching theory and logic design. 2008.
2. M morris, Switching theory and logic design. 2008.
3. K Zvi, Switching and Finite Automata Theory Cambridge University 2009.
4. T Herbert, S Donald, Digital Integrated Electronics. McGraw-Hill electrical and electronic engineering series 1977.
5. M De Giovanni, Synthesis and Optimization of Digital Circuits. 1994.
6. KH Randy, B Gaetano, Contemporary Logic Design.
7. L Ai-Qun, RF Mems Switches and Integrated Switching Circuits. 2010.
8. Y Fei, Computer Methods for Analysis of Mixed-Mode Switching Circuits. Journal of Semiconductor Technology and Science 2004.
9. CH Roth, LL Kinney, Fundamentals of Logic Design $7^{\text {th }}$ Edition.
10. C Rao, Switching Theory and Logic Design $1^{\text {st }}$ Edition.
11. D Sudha Mohan, Digital Electronics and Micro Controllers.
12. DJV Suresh babu, Digital Electronics.
